

APPENDIX B

pspectrum.m

```

%
% FUNCTION pspectrum
%
% Display the sound power spectrum (in linear and logarithmic scales)
%
function r = pspectrum(s, fs)
    l = length(s);
    m = 100;
    n = 256;

    nbFrame = floor((l - n) / m) + 1;

%
% Create a matrix M containing all the frames
%
    for i = 1:nbFrame
        for j = 1:m
            M(i, j) = s((j - 1) * m + i);
        end
    end

%
% Matrix M created. Now apply HAMMING window and store in matrix N. Column
vectors of N are
% the original frame vectors transformed by the Hamming window filter
%
    h = hamming(m);
    N = diag(h) * M;

%
% Now apply FFT and create a new matrix M2 where the column vectors are the
FFTs of the
% column vectors of N. The elements of column matrix M2 contain the frames
of the original
% signal, filtered by the Hamming window and transformed with the FFT. The
elements of M2
% are complex numbers and symmetrical because FFT was used to transform the
data.
%
% Each column in M2 is a power spectrum of the original signal
%
    for i = 1:nbFrame
        M2(:,i) = fft(N(:, i));
    end

    t = n / 2;

```

```
    tm = length(s) / fs;
    subplot(121);
    imagesc([0 tm], [0 fs/2], abs(M2(1:t, :)).^2), axis xy;
    title('Power spectrum (Linear)');
    xlabel('Time [s]');
    ylabel('Frequency [Hz]');
    colorbar;

    subplot(122);
    imagesc([0 tm], [0 fs/2], 20*log10(abs(M2(1:t, :)).^2)), axis xy;
    title('Power spectrum (Logarithmic)');
    xlabel('Time [s]');
    ylabel('Frequency [Hz]');
    colorbar;

    r=1;

    %
    % END OF FUNCTION pspectrum
    %
```